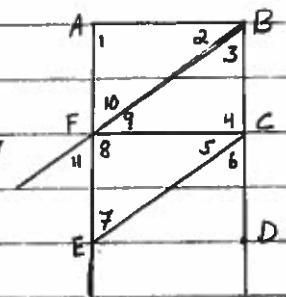


A#25 p. 87-88 WE #1-16, 18, 24, 27  
 p. 87-88 WE #19-21, 25-26, 28-29, 31

For #1-16

p. 87-88 WE #1-16, 18, 24, 27



1.  $\angle 2 \cong \angle 9 \rightarrow \overline{AB} \parallel \overline{FC}$  [Alt. Int.  $\angle$ s Conv.]
2.  $\angle 6 \cong \angle 7 \rightarrow \overline{BD} \parallel \overline{AE}$  [Alt. Int.  $\angle$ s Conv.]
3.  $m\angle 1 = m\angle 8 = 90^\circ \rightarrow \overline{AB} \parallel \overline{FC}$  [In a plane, 2 lines  $\perp$  to same line are  $\parallel$ . or Corr.  $\angle$ s Conv.]
4.  $\angle 5 \cong \angle 9 \rightarrow \overline{BF} \parallel \overline{CE}$  [Alt. Int.  $\angle$ s Conv.]
5.  $m\angle 2 = m\angle 5$  [Not enough Info.]
6.  $\angle 3 \cong \angle 11 \rightarrow \overline{AE} \parallel \overline{BD}$  [Corr.  $\angle$ s Conv.]
7.  $m\angle 1 = m\angle 4 = 90^\circ$  [Not enough Info.]
8.  $m\angle 10 = m\angle 11$  [Not enough Info.]
9.  $m\angle 8 + m\angle 5 + m\angle 6 = 180^\circ \rightarrow \overline{AE} \parallel \overline{BD}$  [S.S. Int.  $\angle$ s Conv.]
10.  $\overline{FC} \perp \overline{AE}$  and  $\overline{FC} \perp \overline{BD} \rightarrow \overline{AE} \parallel \overline{BD}$  [In a plane, 2 lines  $\perp$  to same line are  $\parallel$ .]
11.  $m\angle 5 + m\angle 6 = m\angle 9 + m\angle 10 \rightarrow \overline{AE} \parallel \overline{BD}$  [Alt. Int.  $\angle$ s Conv.]
12.  $\angle 7$  and  $\angle EFB$  are supp.  $\rightarrow \overline{BF} \parallel \overline{CE}$  [S.S. Int.  $\angle$ s Conv.]
13.  $\angle 2$  and  $\angle 3$  are complementary and  $m\angle 1 = 90^\circ \rightarrow \overline{AE} \parallel \overline{BD}$  [In a plane, 2 lines  $\perp$  to same line are  $\parallel$ .]
14.  $m\angle 2 + m\angle 3 = m\angle 4$  [Not enough Info.]
15.  $m\angle 7 = m\angle 3 = m\angle 10 \rightarrow$  ①  $\overline{AE} \parallel \overline{BD}$  [Alt. Int.  $\angle$ s Conv.] ②  $\overline{BF} \parallel \overline{CE}$  [Corr.  $\angle$ s Conv.]
16.  $m\angle 4 = m\angle 8 = m\angle 1 \rightarrow$  ①  $\overline{AE} \parallel \overline{BD}$  [Alt. Int.  $\angle$ s Conv.] ②  $\overline{AB} \parallel \overline{FC}$  [Corr.  $\angle$ s Conv.]

18. 
 ① For the red lines to be  $\parallel$ ,  $y + (x-40) = 180^\circ$  [S.S. Int.  $\angle$ s Conv.]  
 ② For the blue lines to be  $\parallel$ ,  $x - 40 + x + 40 = 180^\circ$  [ " ]  
 Solve ②:  $2x = 180$       Solve ① if  $x = 90$ :  $y + (90 - 40) = 180$

24. Given:  $\overline{BE}$  bisects  $\angle DBA$ ;  
 $\angle 3 \cong \angle 1$   
 Prove:  $\overline{CD} \parallel \overline{BE}$

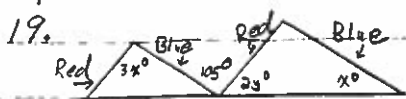
statements	Reasons
① $\overline{BE}$ bisects $\angle DBA$ , $\angle 3 \cong \angle 1$	① Given
② $\angle 2 \cong \angle 3$	② Def. of $\angle$ bisector
③ $\angle 1 \cong \angle 2$	③ Trans. Prop. of $\cong$
④ $\overline{CD} \parallel \overline{BE}$	④ Alt. Int. $\angle$ s Conv.]

27. 
 ① Draw  $l$  through  $S$  and  $\parallel \overline{RX}$  and  $\overline{TY}$ . [  $\parallel$  Post. ]  
 ②  $m\angle 1 = 40^\circ$ ,  $m\angle 2 = 70^\circ$  [Alt. Int.  $\angle$ s Thm / def. of  $\cong \angle$ s]  
 ③  $m\angle RST = m\angle 1 + m\angle 2$  [  $\angle$  Add Post ]  
 ④  $m\angle RST = 40 + 70$  [Subst. Prop. of = (2+3)]  
 **$m\angle RST = 110^\circ$**

A #25 continued

Key

27 p. 87-88 WE #19-21, 25-26, 28-29, 31



19. ① For the red lines to be  $\parallel$ ,  $3x = 105$ , [Alt. Int.  $\angle$ s Conv.]

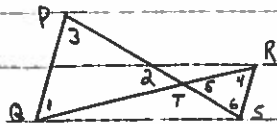
$x = 35$

② For the blue lines to be  $\parallel$ ,  $x + (2y + 105) = 180$  [S.S. Int.  $\angle$ s Conv.]  
 [Subst  $x = 35$ ]  $35 + 2y + 105 = 180$

$2y = 40$

$y = 20$

For #20-21.



20. ①  $\angle 1 \cong \angle 2$ ;  $\angle 4 \cong \angle 5$  [Given]

②  $\angle 2 \cong \angle 5$  [Vert.  $\angle$ s Thrm.]

③  $\angle 1 \cong \angle 4$  [Trans. Prop. of  $\cong$ ]

④  $PQ \parallel RS$  [Alt. Int.  $\angle$ s Conv.]

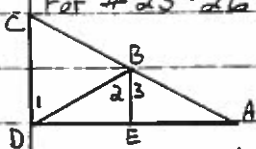
21. ①  $\angle 3 \cong \angle 6$  [Given]

②  $PQ \parallel RS$  [Alt. Int.  $\angle$ s Conv.]

③  $\angle 1 \cong \angle 4$  [Alt. Int.  $\angle$ s Thrm.]

④  $\angle 2 \cong \angle 5$  [Vert.  $\angle$ s Thrm.]

For #25-26



25. Given:  $\overline{BE} \perp \overline{DA}$ ;  $\overline{CD} \perp \overline{DA}$

Prove:  $\angle 1 \cong \angle 2$

Statements

Reasons

①  $\overline{BE} \perp \overline{DA}$ ;  $\overline{CD} \perp \overline{DA}$

① Given

②  $\overline{CD} \parallel \overline{BE}$

② In a plane, 2 lines  $\perp$  to same line are  $\parallel$ .

③  $\angle 1 \cong \angle 2$

③ Alt. Int.  $\angle$ s Thrm.

26. Given:  $\angle C \cong \angle 3$ ;  $\overline{BE} \perp \overline{DA}$

Prove:  $\overline{CD} \perp \overline{DA}$

Statements

Reasons

①  $\angle C \cong \angle 3$ ;  $\overline{BE} \perp \overline{DA}$

① Given

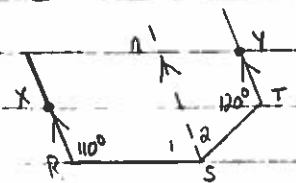
②  $\overline{CD} \parallel \overline{BE}$

② Corr.  $\angle$ s Conv.

③  $\overline{CD} \perp \overline{DA}$

③  $\perp$  Trans. Thrm

28.



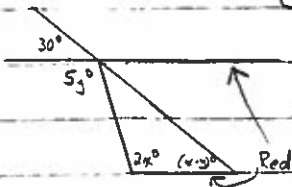
① Draw  $n$  through  $S$  and  $\parallel$  to  $\overline{XR}$  and  $\overline{YT}$ . [  $\parallel$  Post. ]

②  $m\angle 1 = 70^\circ$ ,  $m\angle 2 = 60^\circ$  [SS. Int.  $\angle$ s Thrm.]

③  $m\angle RST = m\angle 1 + m\angle 2$  [  $\angle$  Add Post ]

④  $m\angle RST = 130^\circ$  [Subst. Prop. of  $=$  (2  $\rightarrow$  3)]

29.



For the red lines to be parallel,

①  $x - y = 30$  [Corr.  $\angle$ s Conv.]  $\xrightarrow{x-y} -2x + 2y = -60$

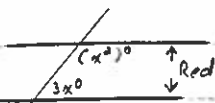
②  $2x = 5y$  [Alt. Int.  $\angle$ s Conv.]  $\rightarrow 2x - 5y = 0$

③  $x - 20 = 30$   $-3y = -60$

$x = 50$

$y = 20$

31.



For the red lines to be  $\parallel$ ,  $x^2 + 3x = 180$ . [SS. Int.  $\angle$ s Conv.]

$x^2 + 3x - 180 = 0$

$x = 12$

$x = 15$

$(x - 12)(x + 15) = 0$

$x^2 = 144$

$x^2 = 225$  Not Possible  $> 180$

$x = 12, -15$

$3x = 36^\circ \checkmark$

$3x = -45^\circ$  No neg. measures

$x = 12$

see explanation  $\rightarrow$